

## Search and Detection Discrete Search and Expanding Area Search

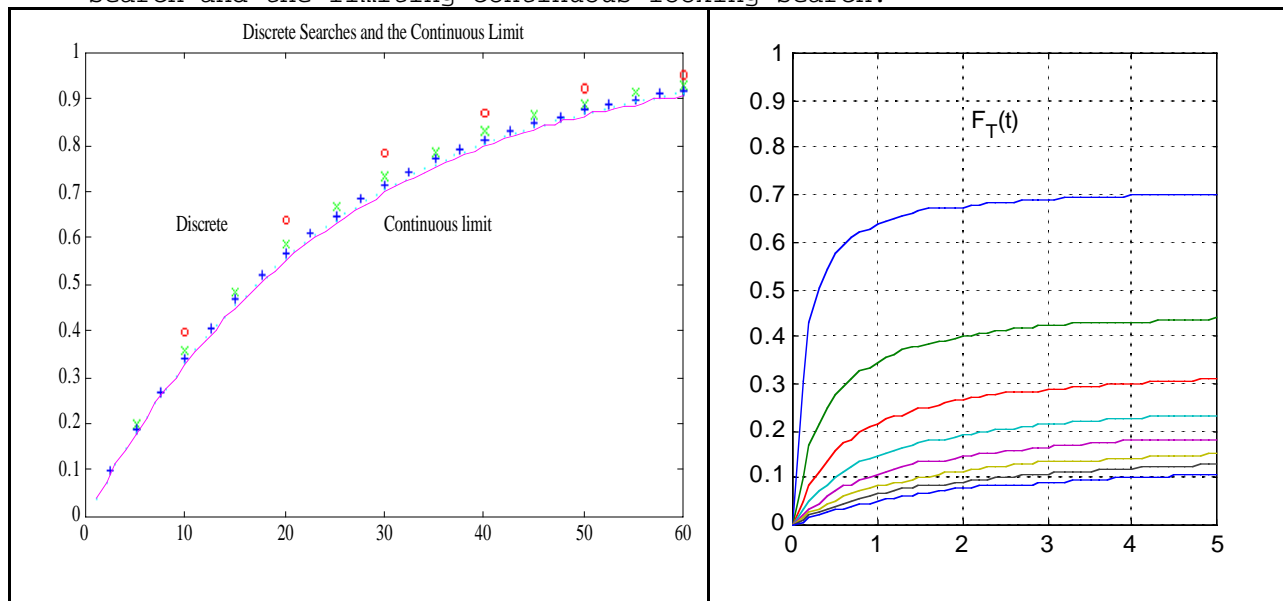
1. Consider 4 discrete searches:

- i. Glimpses occur at times (in minutes) 10, 20, 30 ... with each  $g_i = .4$ .
- ii. Glimpses occur at times (in minutes) 5, 10, 15 ... with each  $g_i = .2$ .
- iii. Glimpses occur at times (in minutes) 2.5, 5, 7.5 ... with each  $g_i = .1$ .
- iv. Glimpses occur at times (in minutes) 1, 2, 3 ... with each  $g_i = .04$ .

a. What is the mean time to detection ( $E[T]$ ) for each search assuming that the searches have an infinite duration?

b. These discrete searches have a limiting continuous-looking search. What is the CDF for the time of initial detection ( $F_T(t)$ ) for this limiting, continuous-looking search?

c. For  $t$  between 0 and 60 minutes, show on one plot  $F_T(t)$  for each discrete search and the limiting continuous-looking search.



2. Consider an expanding area random search with  $u=20$  kt,  $v=200$  kt, and  $R=1$  nm.

a. For times late  $\tau=.25:.25:2$  hr, use MATLAB to calculate and plot  $F_T(t) = P\{\text{initial detection time } T \leq t\}$  for  $t=0:.1:5$  hr.

b. For  $\tau=.1:.1:4$  hr, use MATLAB to calculate and plot  $\max P_d$ .

c. Show that the mean time to detection given detection occurs is infinite. Hint: Show that the integral from 0 to infinity of either  $(t/\max P_d) * f_T(t)$  or  $(1 - F_T(t))/\max P_d$  is infinite.